

# 2D Spectroscopy

Mike Reppert

October 21, 2020

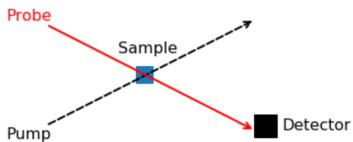
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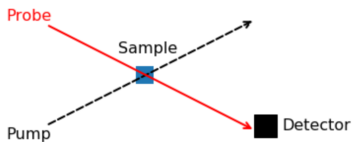
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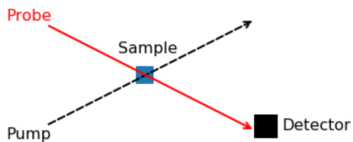
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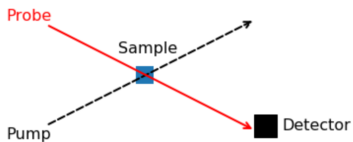
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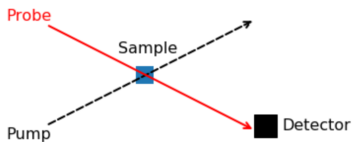
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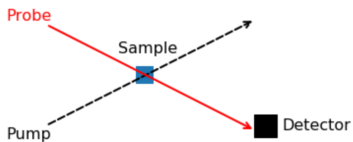
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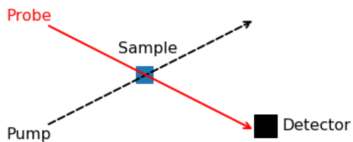
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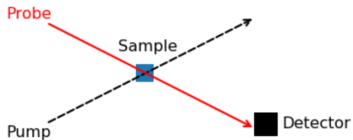
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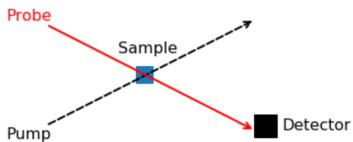
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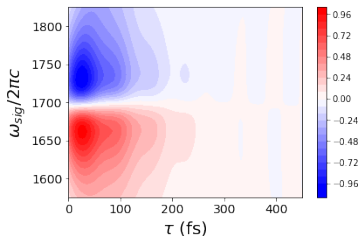
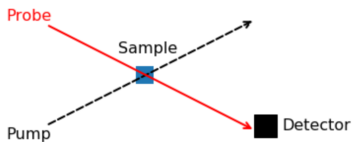
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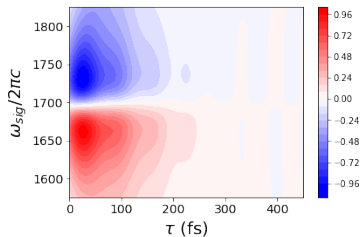
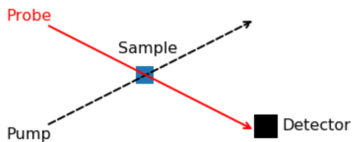
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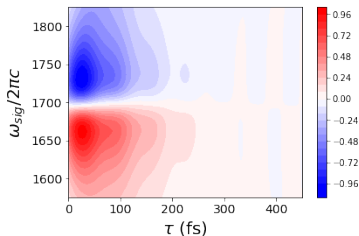
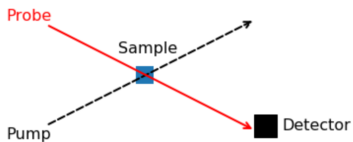
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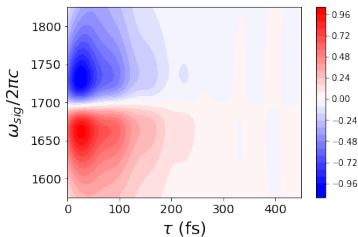
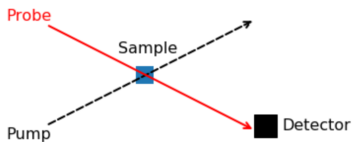
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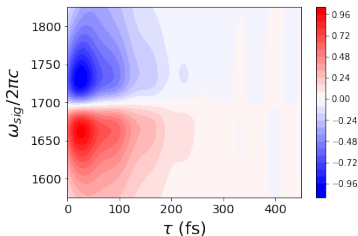
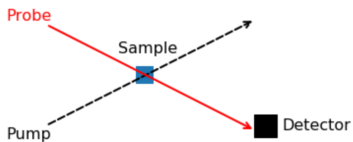
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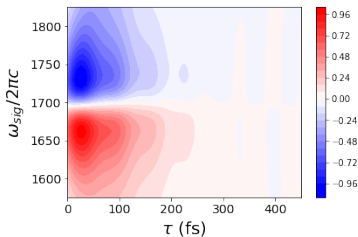
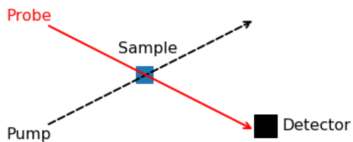




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## Today: 2D Spectroscopy!

Pump-probe signal is determined by integrating  $\mathbf{R}^{(3)}(\pm\omega_1, 0, \omega)$  over  $\omega_1$ :

$$S^{(\text{PP})}(\omega) \propto \varepsilon_{\text{pump}}^2 \varepsilon_{\text{probe}} \int d\omega_1 \left[ \tilde{R}_{yyyy}^{(3)}(-\omega_1, 0, \omega) + \tilde{R}_{yyyy}^{(3)}(\omega_1, 0, \omega) \right].$$

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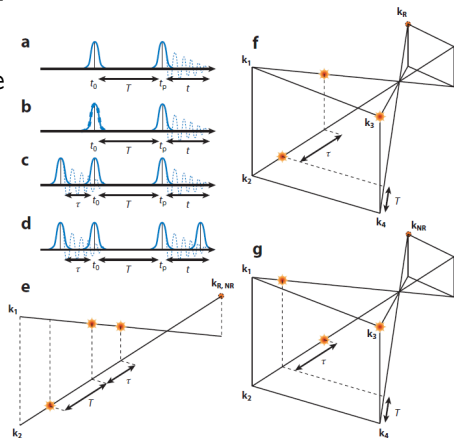
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We can! 2D spectroscopy gives (in principle) the **full** third-order response tensor.

## 2D Spectroscopy: “Three-pulse pump-probe”

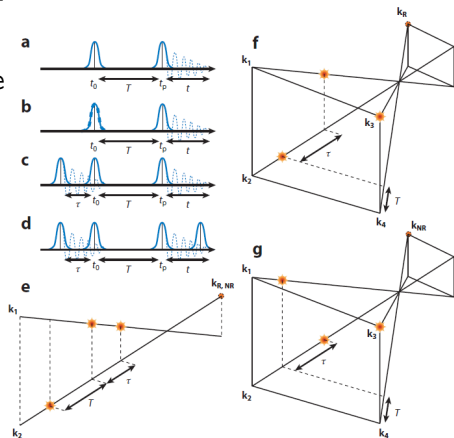
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Fuller and Ogilvie, *Ann. Rev. Phys. Chem.*, 2015 66, 667-690

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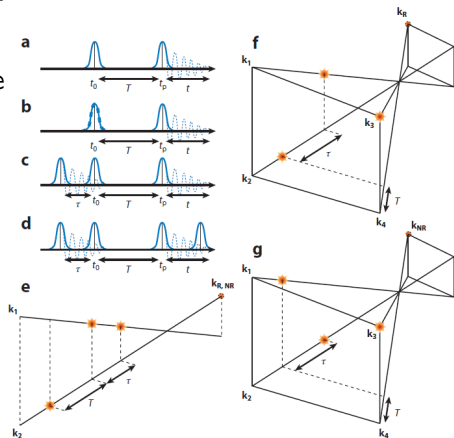
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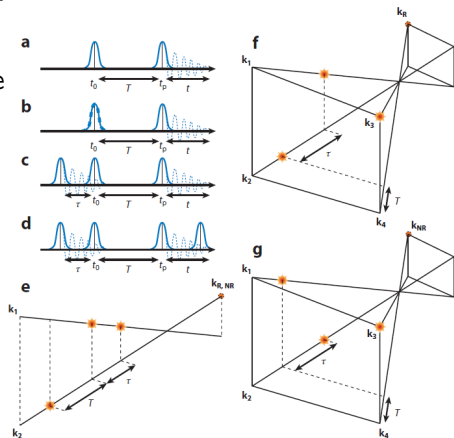
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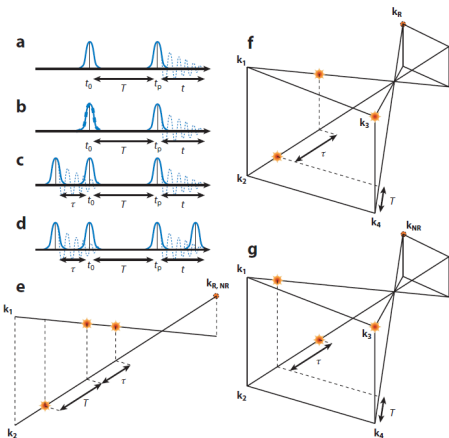


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- **Applications:** By directly resolving **both** excitation **and** response, we can directly monitor energy-transfer dynamics



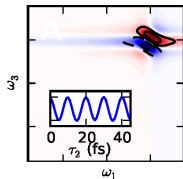
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# Flavors of 2D Spectroscopy

## Double Quantum Coherence:

Beats at  $2\omega_o$  and decays with dissipation in  $\tau_2$ :  
sensitive to dephasing

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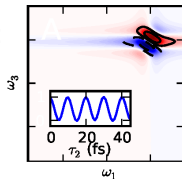


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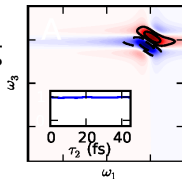
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## Nonrephasing:

Decays with *dissipation* in  $\tau_2$ : insensitive to dephasing

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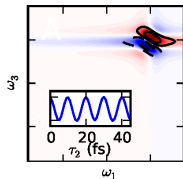


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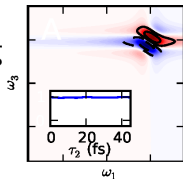
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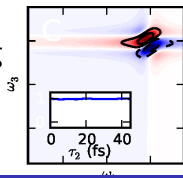
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## Rephasing (photon echo):

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$$\mathbf{k}_{\text{sig}} = -\mathbf{k}_1 + \mathbf{k}_2 + \mathbf{k}_3$$



## 2D Correlation Spectrum: One oscillator

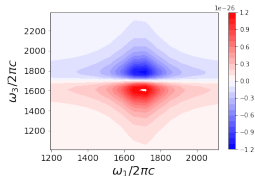
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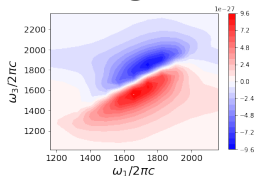
**2D Correlation Spectrum** = Rephasing + Nonrephasing surfaces. Directly measured in pump-probe geometry.

- $(\omega_1, \omega_3) = (\text{Excitation, Detection})$
- **Diagonal width** feels *both* homogeneous *and* inhomogeneous broadening
- **Anti-diagonal width** feels only *homogeneous* broadening
- $\tau_2$  feels dissipation **not** dephasing

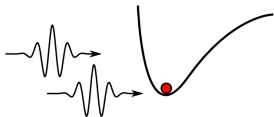
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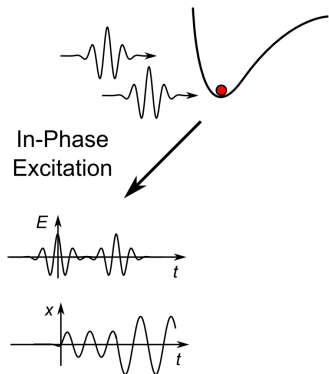
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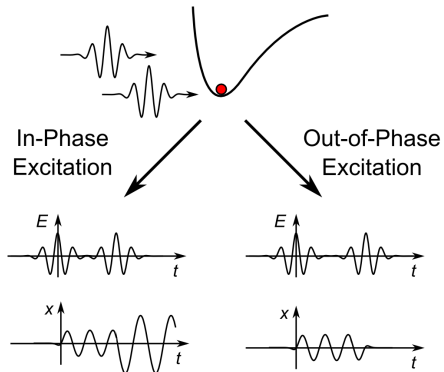


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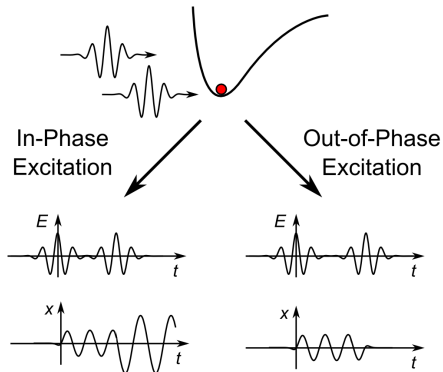




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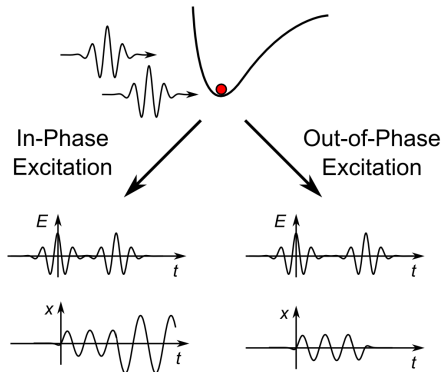


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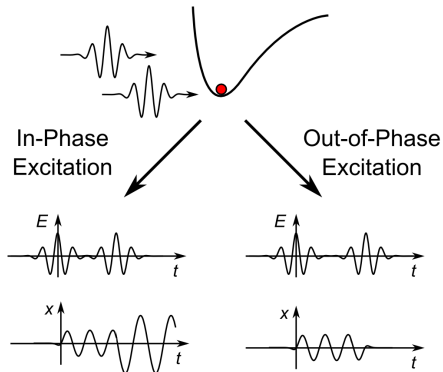
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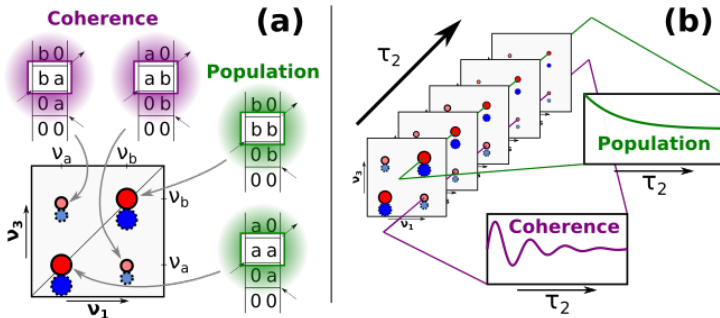
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- Interference between different modes  $\rightarrow$  “Quantum” beats

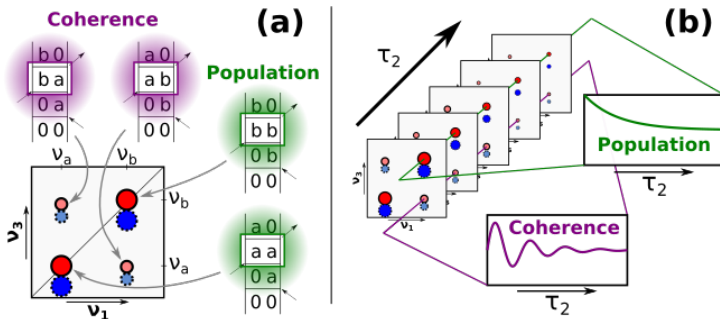
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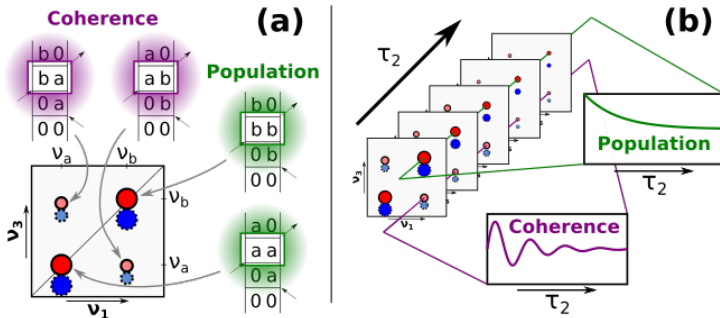
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**Classical Interpretation: TBD**

**2D Spectroscopy** is a generalization of pump-probe spectroscopy, where both **excitation** and **detection** frequencies are resolved.

Four basic types of 2D spectrum:

- Double-Quantum Coherence
- Nonrephasing
- Rephasing
- Correlation = R + NR

**Diagonal** vs. **Antidiagonal** linewidths distinguish homogeneous and inhomogeneous broadening

**Cross-peaks** indicate coupling and energy transfer